

- Pre-Lab •

1. When a ball is tossed upward, a force must act through a distance. In other words, $\qquad$ must be done.
2. As the ball rises, what happens to its
a. speed?
b. kinetic energy?
c. elevation?
d. gravitational potential energy?
3. a. At what point in its flight is the kinetic energy of the ball
i. at a maximum value?
ii. at a minimum value?
b. At what point is the potential energy of the ball i. at a maximum value?
ii. at a minimum value?
4. a. What would you need to know to determine the kinetic energy of the ball when it was launched?
b. How would you use that information to calculate the kinetic energy? Make a sample calculation with your choice of values. (A sample calculation includes an equation written with symbols, rewritten with values, and a solution.)
5. a. What would you need to know to determine the potential energy of the ball when it reached its apex?
b. How would you use that information to calculate the potential energy? Make a sample calculation with your choice of values. (A sample calculation includes an equation written with symbols, rewritten with values, and a solution.)

## - Purpose •

In this investigation, we will compare the kinetic energy given to a ball launched vertically and the potential energy of that ball at the apex of its flight. We will also extend the findings to determine the launching force and acceleration. For best results, two different launch speeds should be used.

## - Apparatus • (Diagrams not to scale)

$\qquad$ PASCO mini launcher

$\qquad$ table mounting bracket

$\qquad$ attachment wing-bolt with small washer

$\qquad$ photogate attachment thumbscrews (short)
these screws are plastic; their threads can easily be stripped DO NOT OVER-TIGHTEN!

$\qquad$ safety glasses/goggles

$\qquad$ table clamp or equivalent

$\qquad$ 16 mm steel ball ( $m=16.0 \mathrm{~g}$ )

$\qquad$ photogate mounting bracket includes wing-bolt, large washer, and square nut DO NOT DETACH NUT OR WASHER FROM BRACKET!

$\qquad$ plastic push rod

$\qquad$
photogate timer or Smart Timer or two accessory photogates

$\qquad$ auxiliary photogate head

$\qquad$ meterstick $\qquad$ small C-clamp or equivalent


## - Experimental Design •

THIS ACTIVITY CAN ONLY BE ATTEMPTED BY STUDENTS MATURE AND RESPONSIBLE ENOUGH TO WORK WITH THE PROJECTILE LAUNCHER. THE PROJECTILE LAUNCHER IS SAFE WHEN OPERATED IN ACCORDANCE WITH INSTRUCTIONS AND COMMON SENSE. THE PROJECTILE LAUNCHER IS DANGEROUS IF OPERATED INCORRECTLY. IF YOU FEEL YOU DON'T POSSESS THE MATURITY AND RESPONSIBILITY TO WORK WITH THE PROJECTILE LAUNCHER, YOU MAY OPT TO COMPLETE THE "FIRE IT UP" PHET-BASED ACTIVITY INSTEAD.

BY PROCEEDING BEYOND THIS POINT, YOU ARE AGREEING TO BE MATURE AND RESPONSIBLE ENOUGH TO USE THE MATERIALS FOR THIS ACTIVITY. VIOLATIONS WILL RESULT IN NEGATIVE CLASSROOM AND SCHOOL CONSEQUENCES.

1. Launcher. Without loading a ball into the barrel, carefully use the push-rod and the corded trigger to determine the number of launch force/speeds available from the launcher. Be careful to not launch the push rod. How many launch force/speeds are available? Answer using words and diagram/s.
2. Speed. How can the available apparatus be used to accurately determine the speed of a projectile launched from the projectile launcher? Recall the method we used to measure the speed of the projectile in the "Blowout!" demonstration. Answer using words and diagram/s. Make a test launch vertically upward (hand-held). Show the complete calculation: symbols, numbers, units, and answer. If your speed is less than $1 \mathrm{~m} / \mathrm{s}$ or greater than $10 \mathrm{~m} / \mathrm{s}$, you have made a mistake.
3. Secure Vertical. How can the available apparatus be used to reliably and repeatedly launch the projectile vertically upward? The table mounting bracket and the table clamp will come into play here. But how can you attach the bracket to the table (using the table clamp) so that the launcher can be attached to launch vertically upward? Answer using words and diagram/s.
4. Height. How can the available apparatus be used to reliably and repeatedly determine the height attained by a projectile launched vertically upward? (This is the distance from the launch point to the apex.) This needs to be secure and reliable, and involves a vertical meterstick. Answer using words and diagram/s. Pay particular attention to where "zero" is and where the height will be measured to.
5. Depth. How can the available apparatus be used to measure the distance to which the plunger is pushed into the barrel for a particular launch?. Answer using words and diagram/s.
6. Logistics. a. The launcher operator must wear the safety glasses.
b. What's the best combination to get distinct low-speed and high-speed launches that can be measured using the apparatus provided? $\qquad$ 1-click and 2-click, _1-click and 3-click __2-click and 3-click What's "wrong" with the setting you chose not to use?

## - Analysis •

Secure a PhyzBlessing for your arrangement. While waiting, answer these questions. The figures below show the load and launch sequence. The figure descriptions below have been scrambled. Describe each figure (in the space below or between the figure's numbers) using the correct description. Some figures may require more than one description. Some figures may be left without a description. Some descriptions may indicate a process (from one figure to another). Two have been done for you.

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- Work done on ball - Timing stops • Maximum Potential Energy
- Work done on piston • Timing starts • Maximum Kinetic Energy
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Label the following with double-ended span arrows (in whichever figure is appropriate):
d: distance through which the ball was pushed by the piston
$\mathbf{y}$ : distance through which the the ball moved while being timed
h: distance the ball traveled from launch to apex
In the space below the diagrams, describe what's going on, physics /experimentwise. For example, when does the ball have maximum potential energy? Maximum kinetic energy? When does the timer start; when does it stop? When is work done on the launcher spring? When does the launcher spring do work on the ball?


Figure 1.


Figure 2.



Figure 3. $\uparrow$
$\vdots$
$\vdots$


Figure 4.


| Experiment Notepad - Notice that we record distances in meters |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  | $d(m)$ | $y(m)$ | $h(m)$ | $\mathrm{f}(\mathrm{s})$ |
| Slower Launch |  |  |  |  |
| Faster Launch |  |  |  |  |

In the spaces below each question, make calculations for both sets of data: the slower launches and the faster launches.
2. Launch speed. Calculate the launch speed of the ball.
a. When did the timer start counting time?
b. When did the timer stop counting time?
c. How far did the ball travel while the timer was counting time? (And which distance is this: $d, h$, or $y$ ?)
d. Show the complete calculation: symbols, numbers, units, and answer. If your speed is less than $1 \mathrm{~m} / \mathrm{s}$ or greater than $10 \mathrm{~m} / \mathrm{s}$, you have made a mistake.

SLOWER-LAUNCH VALUES
FASTER-LAUNCH VALUES
3. Kinetic Energy. Calculate the kinetic energy of the ball upon launch. Show the complete calculation: symbols, numbers, units, and answer. If your kinetic energy is less than 0.05 J or greater than 0.5 J , you have made a mistake.

SLOWER-LAUNCH VALUES
FASTER-LAUNCH VALUES
4. Potential Energy. Calculate the potential energy of the ball at the apex of its flight. Show the complete calculation: symbols, numbers, units, and answer. If your potential energy is less than 0.05 J or greater than 0.5 J , you have made a mistake.

SLOWER-LAUNCH VALUES
FASTER-LAUNCH VALUES
5. Percent Difference: Energy. Calculate the percent difference between the kinetic energy the ball had at launch with the potential energy it had at the top of its flight.

SLOWER-LAUNCH VALUES
FASTER-LAUNCH VALUES
6. Motion Mistake. There is a correction for the speed calculated in question 1 . Here's why. a. What kind of motion does the ball execute after being launched?
___Uniform motion (constant velocity) ___Uniform accelerated motion (constant acceleration)
b. Under what conditions does the relation "speed = distance / time" hold true?
__Uniform motion only __Uniform accelerated motion only
__both UM and UAM
Since "speed = distance / time" was used to determine the speed above, the value it gave was somewhat flawed. Not terribly off, but with room for improvement.
c. Corrected Launch Speed. The correct speed of the ball can be determined by adding $g t / 2$ to the speed you determined above, where $g$ is $9.8 \mathrm{~m} / \mathrm{s}^{2}$ and $t$ is the time it takes the ball to travel from one photogate to the other. (The derivation of this correction is beyond the scope of this course but is addressed in AP Physics.) Determine the corrected value of the launch speed.
d. Corrected Kinetic Energy. Given the corrected launch speed, what is the corrected value for the kinetic energy of the ball at launch?
e. Corrected Percent Difference: Energy. Calculate the percent difference between corrected kinetic energy and the (original) potential energy.

> SLOWER-LAUNCH VALUES

FASTER-LAUNCH VALUES

## - Conclusion -

Which statement best describes your findings regarding the kinetic energy of the ball at launch and the potential energy of the ball at its apex?
$\qquad$ The kinetic energy of a ball at launch is greater than the potential energy of that ball at its apex. $K E>P E$ (by more than 20\%)
___The kinetic energy of a ball at launch is equal to the potential energy of that ball at its apex.
$K E=P E$ (within $20 \%$ )
___The kinetic energy of a ball at launch is less than the potential energy of that ball at its apex.
$K E<P E$ (by more than $20 \%$ )

## - Extensions (Required) •

1. Using only the data you have collected or calculated so far, determine the force acting on the ball during launch. (Hint: the kinetic energy the ball had upon launch came from work done by the piston.)
a. Piston Work. The work done by the piston is equal to the kinetic energy of the ball upon launch. How much work did the piston do?
b. Piston Force. The work done by the piston is equal to the work on the piston when it was loaded. Given the work and distance that the piston was pushed in during the loading process, how much force does the piston exert? Show the complete calculation: symbols, numbers, units, and answer.

SLOWER-LAUNCH VALUES
FASTER-LAUNCH VALUES
2. Ball Acceleration. Determine the acceleration of the ball in the barrel of the mini launcher during the launch. Show the complete calculation: symbols, numbers, units, and answer. (Hint: Newton's second law.)

> SLOWER-LAUNCH VALUES

FASTER-LAUNCH VALUES
3. G's. While standing at rest on Earth, you are in a "one-g" environment. While in freefall, you are in a "zero-g" environment. While accelerating upward with $9.8 \mathrm{~m} / \mathrm{s}^{2}$ of acceleration, you are in a "two-g" environment. The number of " $g$ ' $s$ " you experience is $n=1+(a / g)$ where $a$ is your upward acceleration and $g$ is acceleration due to gravity. How many " $g$ ' $s$ " does the ball experience?

SLOWER-LAUNCH VALUES
FASTER-LAUNCH VALUES
4. Apparent Weight. What would your apparent weight be if you were undergoing that much acceleration? Multiply your weight (or your "ideal weight") by the number of g's you found in the previous question to find out. Use units (pounds, kilos, or stones) that you are accustomed to.

SLOWER-LAUNCH VALUES
FASTER-LAUNCH VALUES

